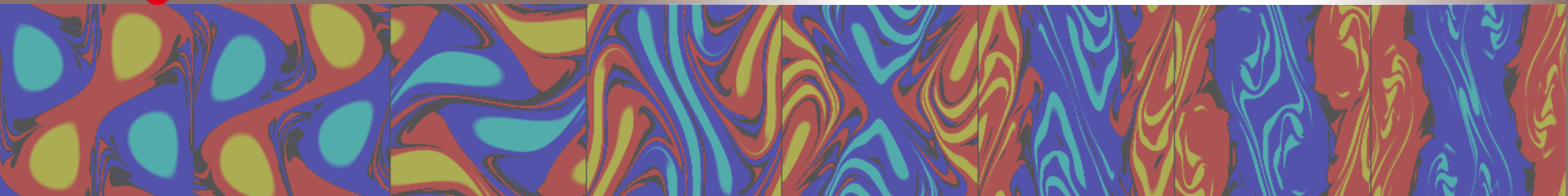


ISC High Performance
The HPC Event.

ISC 2017 Workshop
In Situ Visualization:
Introduction & Applications



WAVELETS AS AN IN SITU COMPRESSION OPERATOR FOR POST HOC EXPLORATION

SHAOMENG (SAMUEL) LI, NCAR/VO
JOHN CLYNE, NCAR
HANK CHILDS, VO

June 22, 2017

University of Oregon &
NCAR



NCAR

NATIONAL CENTER FOR ATMOSPHERIC RESEARCH

Note

- Proposed talk was to be on in situ configurations for fusion simulations, but results did not come together in time...
- Instead: recent results by Shaomeng Li on viability of wavelets

Outline

- Context
- Study #1: tradeoffs
- Study #2: many-core
- Study #3: burst buffer

Outline

- **Context**
- Study #1: tradeoffs
- Study #2: many-core
- Study #3: burst buffer

Where this work fits...

- Traditional paradigm: saving full time slices at regular or irregular intervals.
- The traditional paradigm is jeopardized by the I/O gap.
- In response, there are three main strategies.

Strategy #1: Save less often

- Saving fewer time slices to compensate for the decrease in I/O power → temporal sparsity

- Problems with temporal sparsity:
 - ▣ limits the discovery of phenomena
 - ▣ lack the proper temporal resolution to be observed

Strategy #2: Apply viz techniques in situ

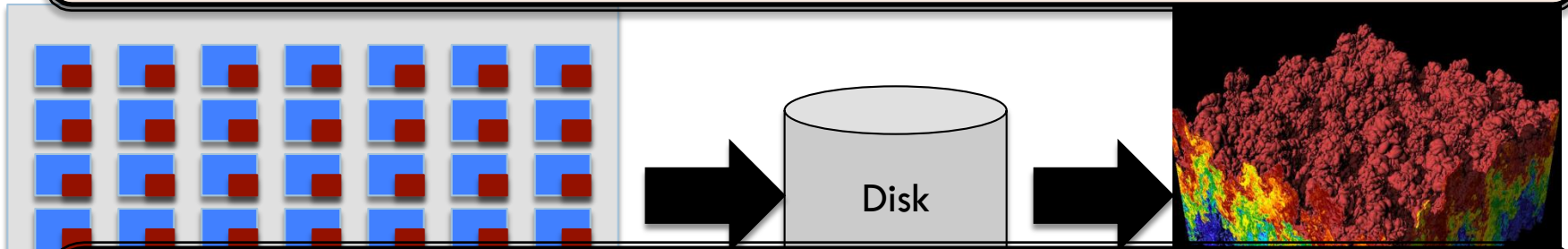
- When it works:
 - ▣ scientists know what they want to see prior to the simulation running

- When it does not work:
 - ▣ explorative visualization requires saving data for post-hoc processing
 - (no a priori info)

Strategy #3: transform + reduce

in situ, explore post hoc

This strategy is the motivation for our study.



Balancing act between data reduction and integrity!
Open question: what are the right operators?

set

post-processing

 = 1 node of supercomputer

 = in situ data reduction routine

Wavelets 101

- $x[n]$: data array of size K
- $u_k[n]$: a set of K basis functions (wavelet kernel)
- A *linear combination* of K basis functions to represent $x[n]$ (wavelet transform)

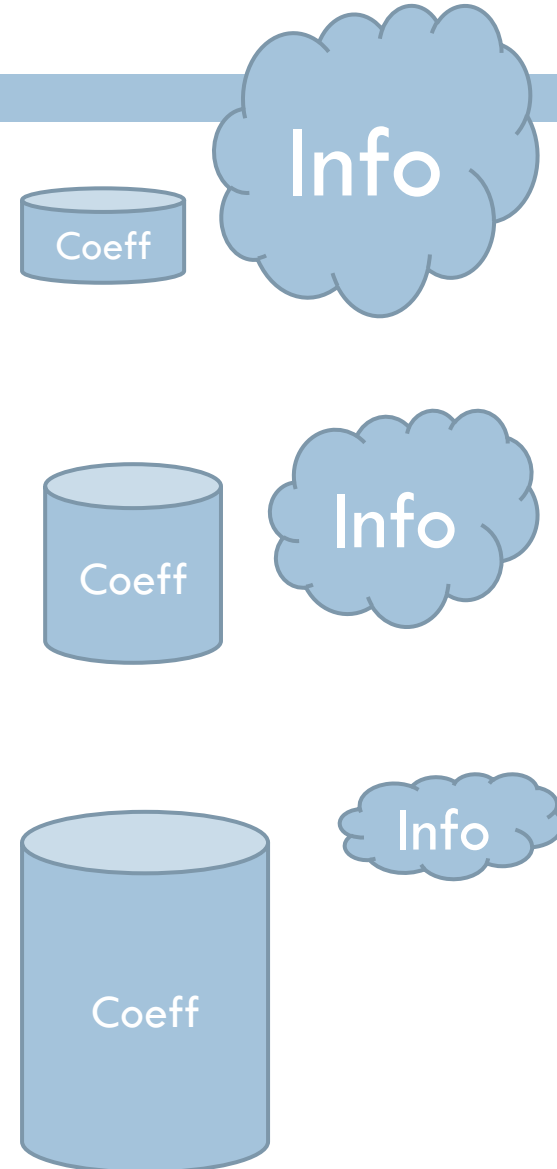
$$x[n] = \sum_{k=0}^{K-1} a_k \cdot u_k[n]$$

coefficients

- Input data $x[n]$ and output coefficients a_k have same size: K
- Reconstructing $x[n]$:
 - Use all K coefficients: *lossless & no compression*
 - Use a subset of coefficients: *lossy & compression*
 - Coefficient prioritization to select the most information-rich coefficients

Why use wavelets for compression?

- Excellent at energy (information) compaction
 - ▣ Data tends to have coherence (unless complete randomness)
 - ▣ Wavelet transforms decorrelate the coherence
- Easy to extend to higher dimensions
 - ▣ Wavelet transforms are essentially 1D
 - ▣ Simply apply the same 1D transform independently along each dimension
- Low complexity: linear
 - ▣ Core calculation: discrete convolution



Outline

- Context
- **Study #1: tradeoffs**
- Study #2: many-core
- Study #3: burst buffer

Study #1: tradeoffs between accuracy and data reduction

□ Comparisons:

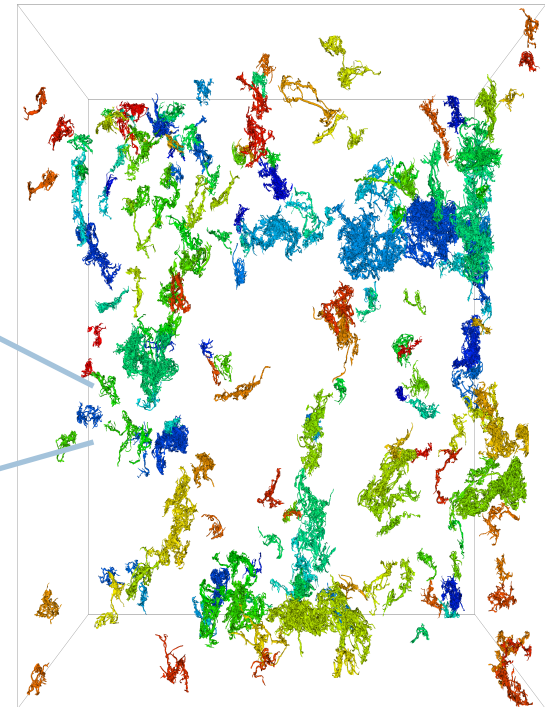
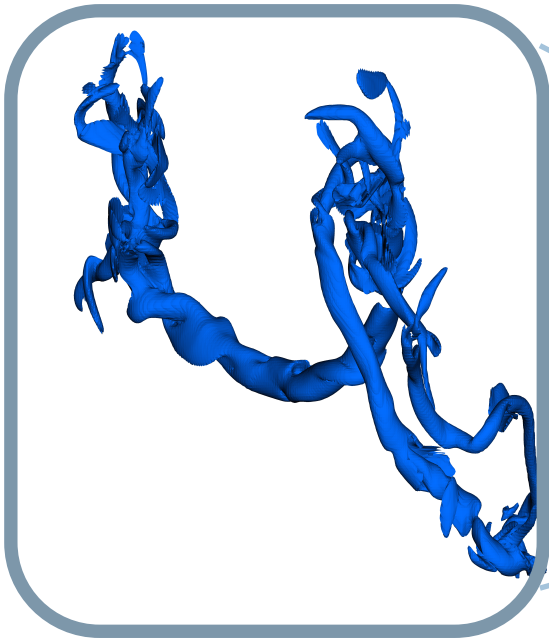
- ▣ Traditional usage of wavelets in vis (multi-res + Haar kernel)
- ▣ Best practices from image processing (prioritized coefficients + CDF9/7)

□ Evaluation:

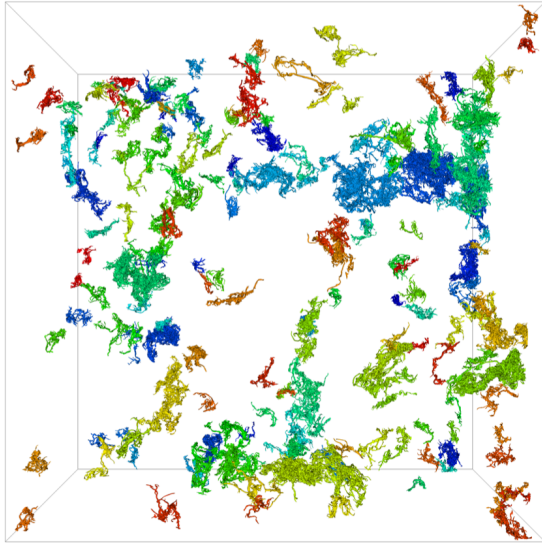
- ▣ Traditional: apply wavelets to a bunch of scientific data sets, measure resulting error
- ▣ Additional: consider two scivis use cases

Application 1 -- Critical structure identification

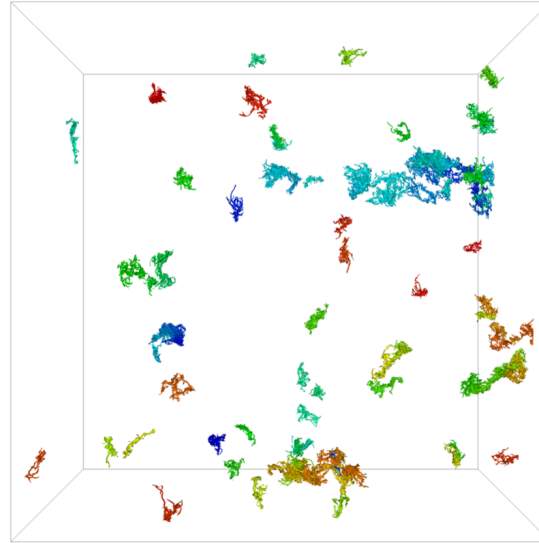
- Turbulent-flow data set at $4,096^3$
- Critical structure: a region with higher enstrophy values than its surroundings
- Threshold the structure volume (millions \rightarrow hundreds)



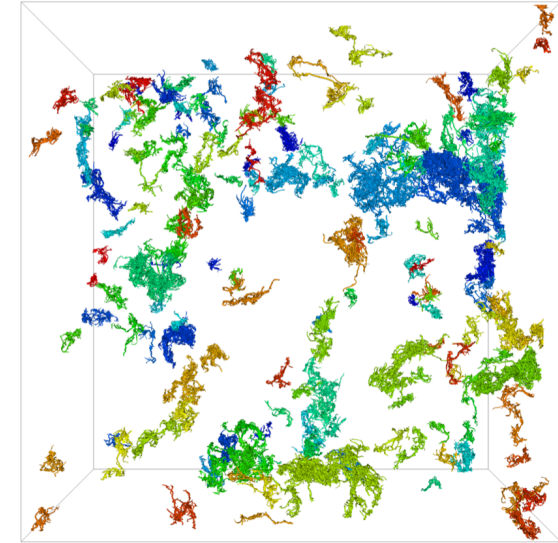
Application #1: Comparison



Original data



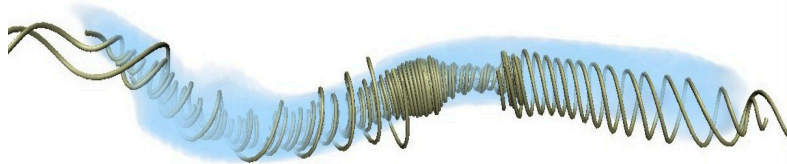
8:1 compression,
Haar + multi-res



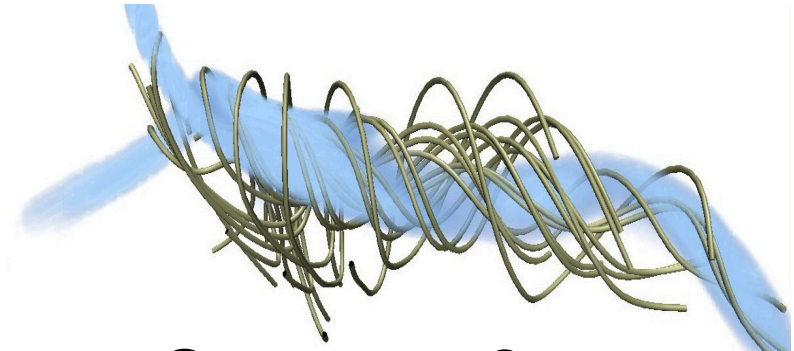
128:1 compression,
CDF 9/7 + prioritized
coefficients

S. Li, K. Gruchalla, K. Potter, J. Clyne, and H. Childs. Evaluating the Efficacy of Wavelet Configurations on Turbulent-Flow Data. In Proceedings of IEEE Symposium on Large Data Analysis and Visualization, Oct. 2015.

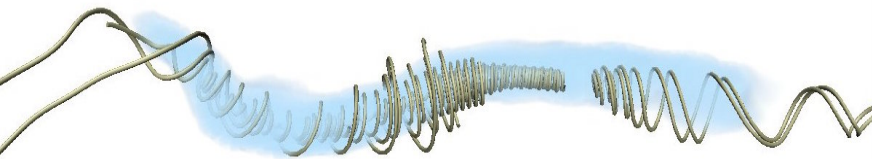
Application 2 -- Results



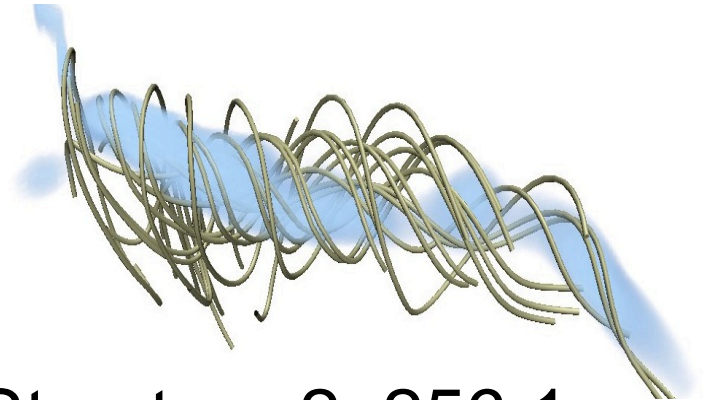
Structure 1,
baseline



Structure 2,
baseline



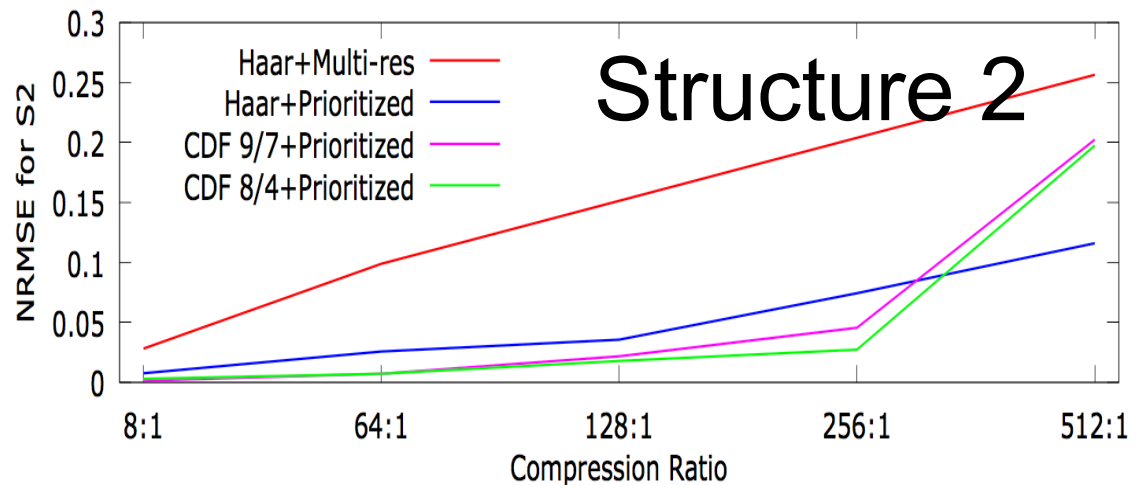
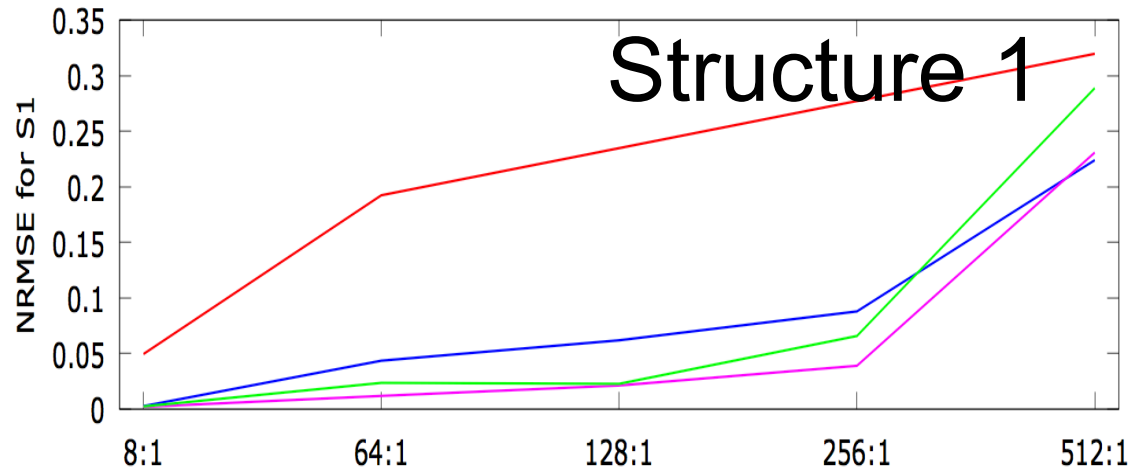
Structure 1, 128:1



Structure 2, 256:1

Application 2 – Evaluation Results

- Visualizations show some differences
- Errors stay within 5% for both structures at 256:1



Outline

- Context
- Study #1: tradeoffs
- **Study #2: many-core**
- Study #3: burst buffer

How to Achieve Portable Performance

- ~~See next talk!~~
- Idea:
 - ▣ Declare fixed set of primitives
 - Not: while, for, etc.
 - Instead: map, reduce, gather, scatter, etc.
 - ▣ Then design vis algorithms using primitives
 - I.e., use “map” instead of “for”
 - ▣ Experts worry about fast “map” (or whatever) for GPU, CPU, etc
 - ▣ This is the idea behind VTK-m...
- On to the highlights...

Algorithm 1 Worklet for 3D Wavelet Transform in the X Axis

Input: *signal*, *workIndex* { Assigned by VTK-m }

Output: *coefficients*

$(x, y, z) \leftarrow \text{GetLogicalIndex}(\textit{workIndex})$

if *x* is even **then**

$\textit{arr} \leftarrow \text{ComposeX}(\textit{signal}, \textit{leftExt}, \textit{rightExt}, x, y, z)$

$\textit{sum} \leftarrow \text{DiscreteConvolution}(\textit{arr}, \textit{lowWaveletFilter})$

$\textit{outIdx} \leftarrow \text{GetOutputIndexApproximationCoeff}(x, y, z)$

$\textit{coefficients}[\textit{outIdx}] \leftarrow \textit{sum}$

else

$\textit{arr} \leftarrow \text{ComposeX}(\textit{signal}, \textit{leftExt}, \textit{rightExt}, x, y, z)$

$\textit{sum} \leftarrow \text{DiscreteConvolution}(\textit{arr}, \textit{highWaveletFilter})$

$\textit{outIdx} \leftarrow \text{GetOutputIndexDetailCoeff}(x, y, z)$

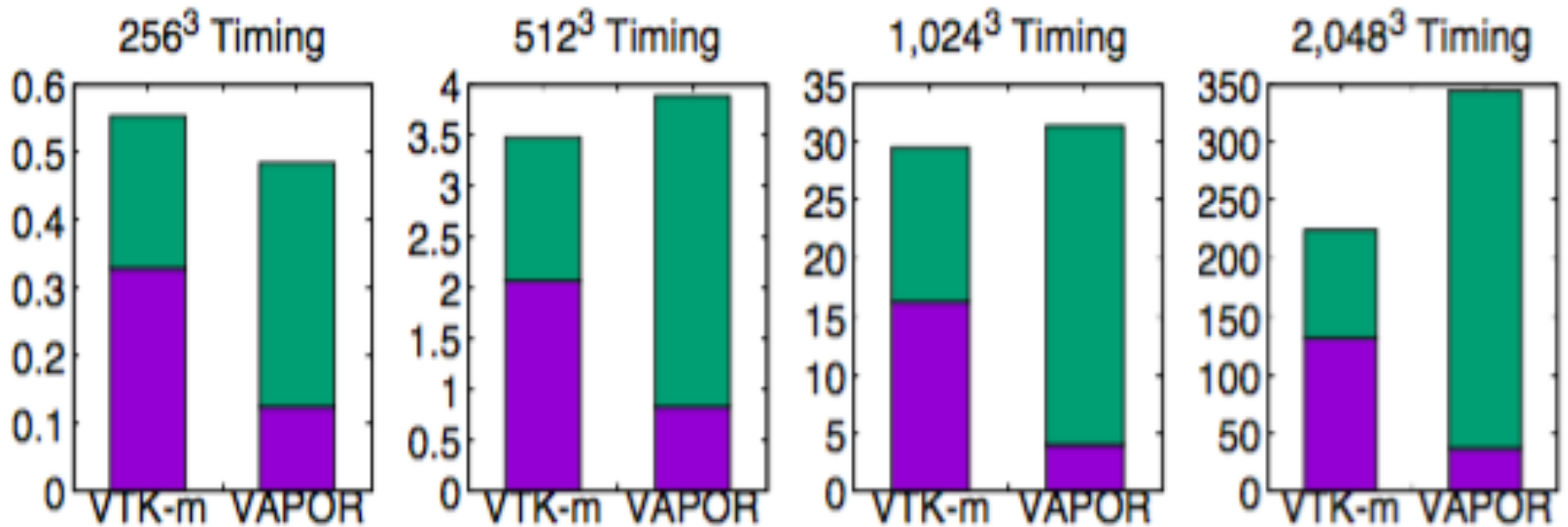
$\textit{coefficients}[\textit{outIdx}] \leftarrow \textit{sum}$

end if



**Gather
Map**

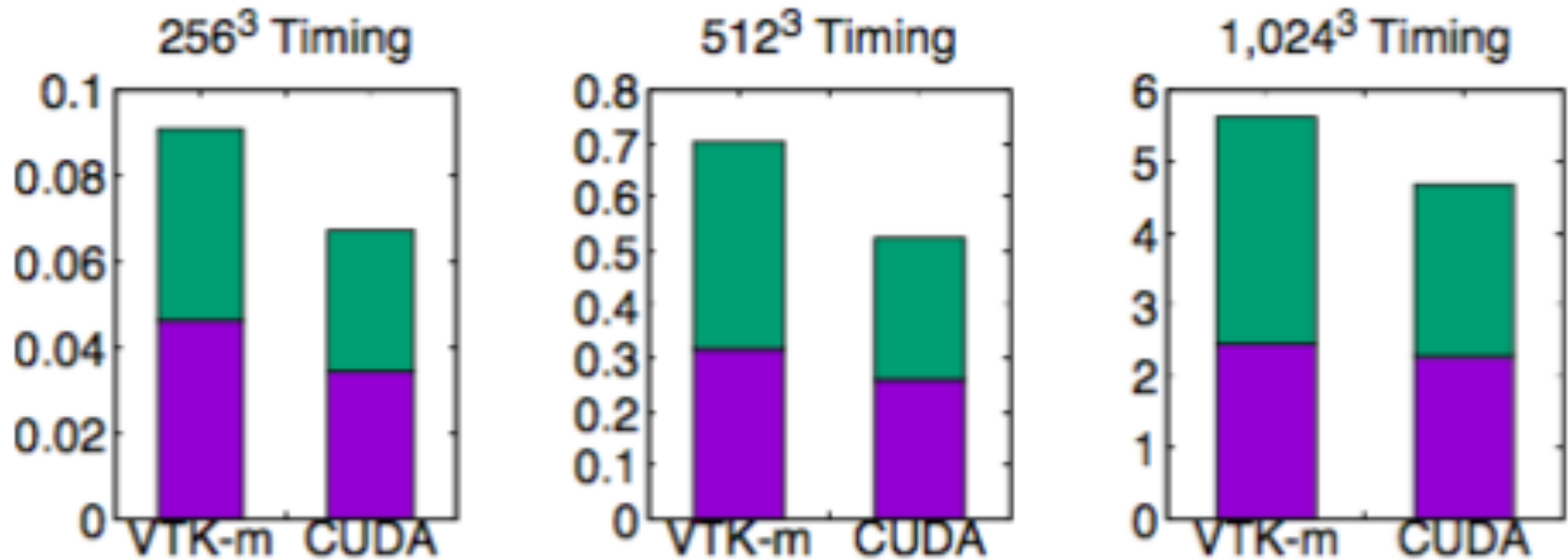
CPU Results



Purple = transform time

Green = sort time

GPU Results



Purple = transform time

Green = sort time

Important

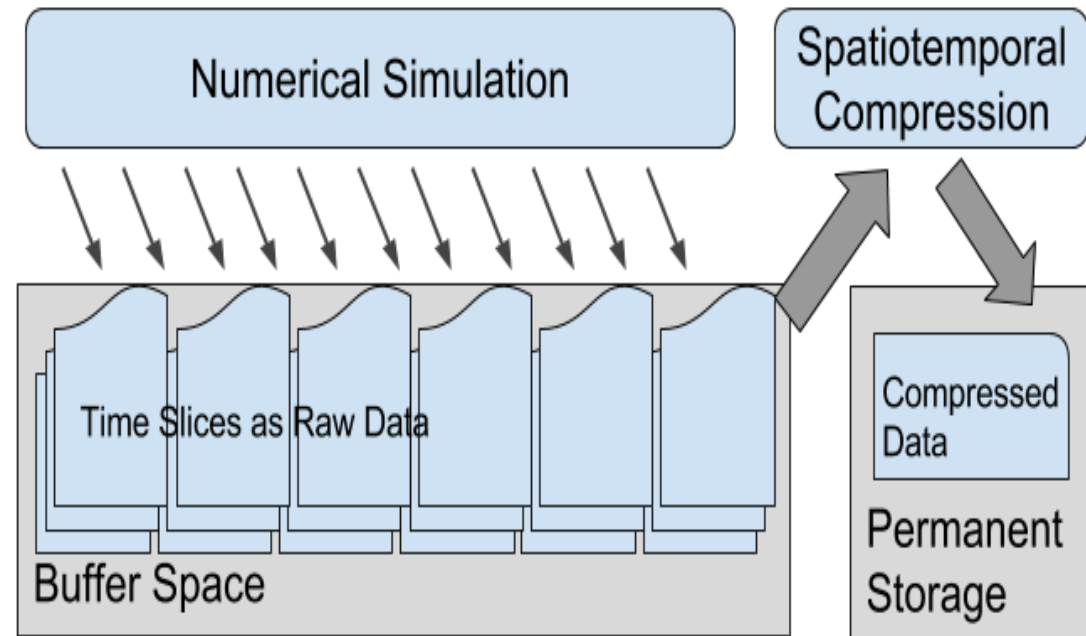
- Wavelet compression times are short -- $\sim 0.5s$
- Means that we likely fit within in situ constraints

Outline

- Context
- Study #1: tradeoffs
- Study #2: many-core
- **Study #3: burst buffer**

Wavelet compression with deeper memory hierarchy

- Idea: use SSDs/burst buffers to temporarily store a few times slices, and apply temporal compression on them together
- Summary: 4D wavelet compression brings 1.5X~2X improvements over 3D compression

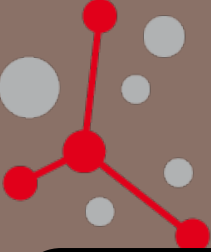


Talk Summary

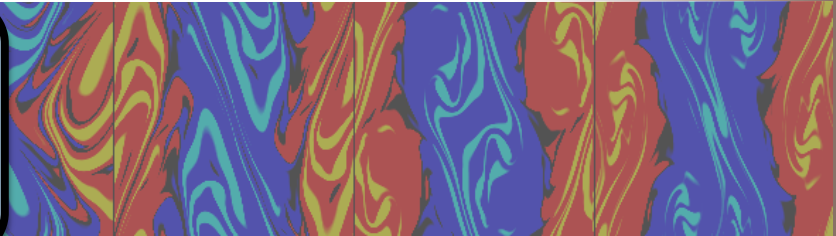
- Wavelets are a viable in situ compression operator
- Improved understanding for:
 - tradeoffs in reduction and integrity
 - how to implement for multiple architectures
 - fitting within in situ constraints
 - how to leverage burst buffer to get more information per byte

Acknowledgments

- Thanks to these funding agencies
 - ▣ US Department of Energy
 - Early Career Award, Program Manager Lucy Nowell
 - Xvis, Program Manager Lucy Nowell
 - SciDAC SDAV, Program Manager Ceren Susut-Bennett



Questions?



WAVELETS AS AN IN SITU COMPRESSION OPERATOR
FOR POST HOC EXPLORATION

SHAOMENG (SAMUEL) LI, NCAR/VO

JOHN CLYNE, NCAR

HANK CHILDS, VO

June 22, 2017

University of Oregon &
NCAR

